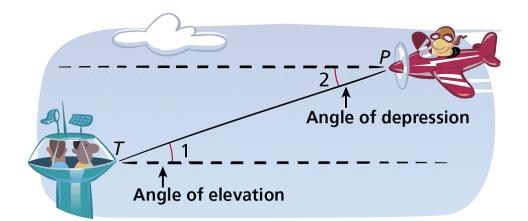
Objective

Solve problems involving angles of elevation and angles of depression.

Holt Geometry

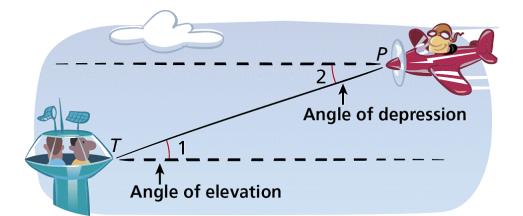
angle of elevation is the angle formed by a horizontal line and a line of sight to a point *above* the line.

angle of depression is the angle formed by a horizontal line and a line of sight to a point *below* the line.



Holt Geometry

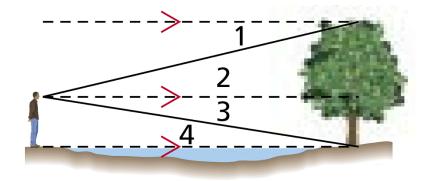
Since horizontal lines are parallel, $\angle 1 \cong \angle 2$ by the Alternate Interior Angles Theorem. Therefore the angle of elevation from one point is congruent to the angle of depression from the other point.



Holt Geometry

Example 1A: Classifying Angles of Elevation and Depression

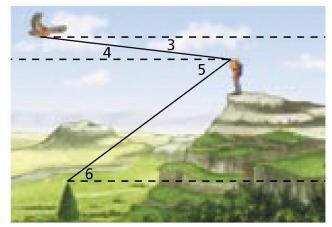
Classify each angle as an angle of elevation or an angle of depression.





Check It Out! Example 1

Use the diagram above to classify each angle as an angle of elevation or angle of depression.



1a. ∠5

 $\angle 5$ is formed by a horizontal line and a line of sight to a point below the line. It is an angle of depression.

1b. ∠6

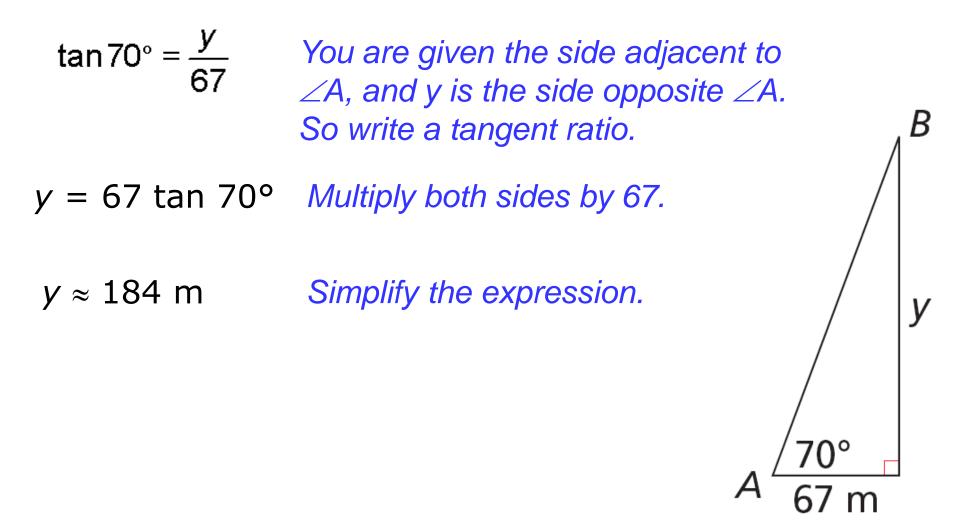
 $\angle 6$ is formed by a horizontal line and a line of sight to a point above the line. It is an angle of elevation.

Example 2: Finding Distance by Using Angle of Elevation

The Seattle Space Needle casts a 67meter shadow. If the angle of elevation from the tip of the shadow to the top of the Space Needle is 70°, how tall is the Space Needle? Round to the nearest meter.

Draw a sketch to represent the given information. Let *A* represent the tip of the shadow, and let *B* represent the top of the Space Needle. Let *y* be the height of the Space Needle.

Example 2 Continued



Holt Geometry

Check It Out! Example 2

What if...? Suppose a plane is at an altitude of 3500 ft and the angle of elevation from the airport to the plane is 29°. What is the horizontal distance between the plane and the airport? Round to the nearest foot.

$$\tan 29^\circ = \frac{3500}{x}$$

You are given the side opposite $\angle A$, and x is the side adjacent to $\angle A$. So write a tangent ratio.

 $x = \frac{3500}{\tan 29^{\circ}}$ Multiply both sides by x and
divide by tan 29°. $x \approx 6314$ ftSimplify the expression.

3500 ft

Check It Out! Example 3

What if...? Suppose a ranger in a 90 ft tower sees a fire and the angle of depression to the fire is 3°. What is the horizontal distance to this fire? Round to the nearest foot.

By the Alternate Interior Angles Theorem, $m \angle F = 3^{\circ}$.

 $\tan 3^{\circ} = \frac{90}{x}$ $x = \frac{90}{\tan 3^{\circ}}$ $x \approx 1717 \text{ ft}$ Holt Geometry

Write a tangent ratio.

Multiply both sides by x and divide by tan 3°.

.717 ft Simplify the expression.

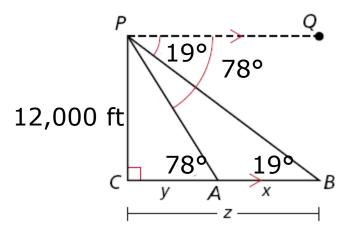


Check It Out! Example 4

A pilot flying at an altitude of 12,000 ft sights an airport directly in front of him. The angle of depression to the airport is 78°. What is the distance to the airport? Round to the nearest foot.

Check It Out! Example 4 Continued

Step 1 Draw a sketch. Let *P* represent the pilot and let *A* and *B* represent the two airports. Let *x* be the distance between the two airports.



Check It Out! Example 4 Continued

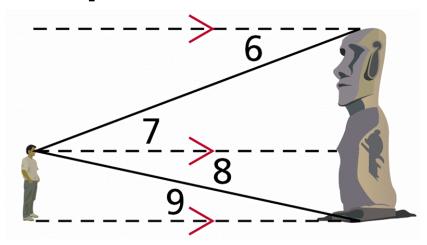
Step 2 Find y.

By the Alternate Interior Angles Theorem, $m\angle CAP = 78^{\circ}$. In $\triangle APC$, $\tan 78^{\circ} = \frac{12,000}{y}$. So $y = \frac{12,000}{\tan 78^{\circ}} \approx 2551$ ft.



Lesson Quiz: Part I

Classify each angle as an angle of elevation or angle of depression.



- **1.** $\angle 6$ angle of depression
- **2.** \angle 9 angle of elevation

Lesson Quiz: Part II

3. A plane is flying at an altitude of 14,500 ft. The angle of depression from the plane to a control tower is 15°. What is the horizontal distance from the plane to the tower? Round to the nearest foot.

54,115 ft

Holt Geometry



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