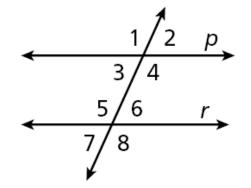


## BELLWORK

Name the postulate or theorem that proves *p* || *r*.



- **1.**  $\angle 3 \cong \angle 6$  Conv. of Alt. Int.  $\angle s$  Thm.
- **2.**  $\angle 1 \cong \angle 8$  Conv. of Alt. Ext.  $\angle s$  Thm.
- **3.**  $\angle 2 \cong \angle 6$  Conv. of Corr.  $\angle s$  Post.
- **4.**  $\angle$ 4 and  $\angle$ 6 are supplementary.

Conv. of Same-Side Int. ∠s Thm.

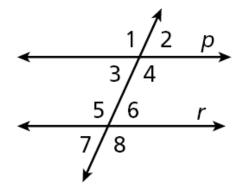
## **Bellwork (Continued)**

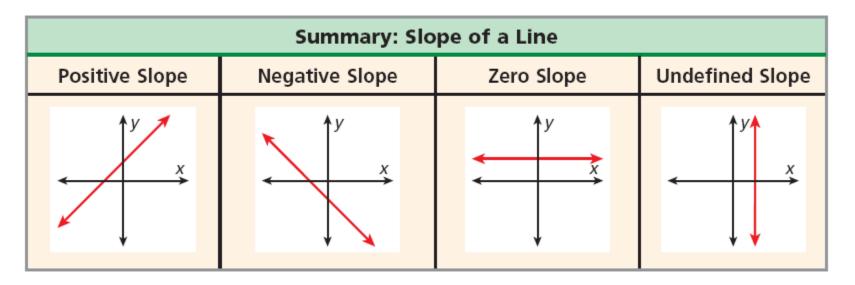
Given: **p** || **r**, State the theorem that shows the relationship between each angle pair.

- **5.** ∠4, ∠5
- 6. ∠2, ∠7

7. ∠1, ∠5

8. ∠3, ∠5



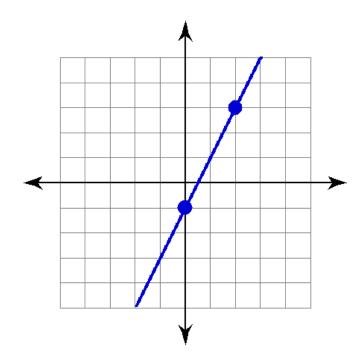


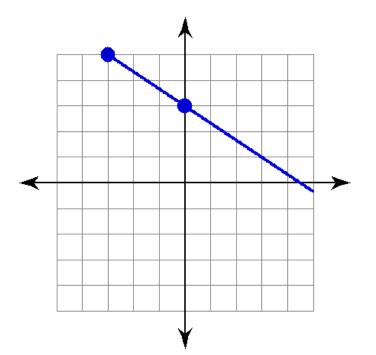
#### If slope is positive...rise **UP**, then go **RIGHT**

If slope is negative...rise **DOWN**, then go **RIGHT**.



#### Find slope of the lines.





#### **Holt Geometry**



#### Parallel Lines – Have the same slope

## **Perpendicular Lines –** The product of the slopes is -1.

If a line has a slope of  $\frac{a}{b}$ , then the slope of a perpendicular line is  $-\frac{b}{a}$ . The ratios  $\frac{a}{b}$  and  $-\frac{b}{a}$  are called *opposite reciprocals*.

If a line has a slope of  $\frac{a}{b}$ , then the slope of a perpendicular line is  $-\frac{b}{a}$ . The ratios  $\frac{a}{b}$  and  $-\frac{b}{a}$  are called *opposite reciprocals*.

**Holt Geometry** 

#### **Example 3A: Determining Whether Lines Are Parallel, Perpendicular, or Neither**

Graph each pair of lines. Use their slopes to determine whether they are parallel, perpendicular, or neither.

 $\overrightarrow{UV} \text{ and } \overrightarrow{XY} \text{ for } U(0, 2),$  V(-1, -1), X(3, 1),and Y(-3, 3)slope of  $\overrightarrow{UV} = \frac{-1-2}{-1-0} = \frac{-3}{-1} = 3$ slope of  $\overrightarrow{XY} = \frac{3-1}{-3-3} = \frac{2}{-6} = -\frac{1}{3}$ 

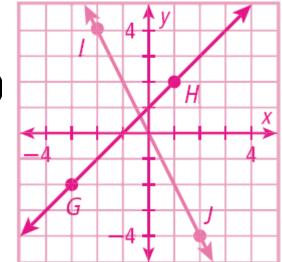
The products of the slopes is -1, so the lines are perpendicular.

**Holt Geometry** 

#### Example 3B: Determining Whether Lines Are Parallel, Perpendicular, or Neither

Graph each pair of lines. Use their slopes to determine whether they are parallel, perpendicular, or neither.

$$\overrightarrow{GH}$$
 and  $\overrightarrow{IJ}$  for  $G(-3, -2)$ ,  
 $H(1, 2), I(-2, 4), \text{ and } J(2, -4)$   
slope of  $\overrightarrow{GH} = \frac{2 - (-2)}{1 - (-3)} = \frac{4}{4} = 1$   
slope of  $\overrightarrow{IJ} = \frac{-4 - 4}{2 - (-2)} = \frac{-8}{4} = -2$ 



The slopes are not the same, so the lines are not parallel. The product of the slopes is not -1, so the lines are not perpendicular.

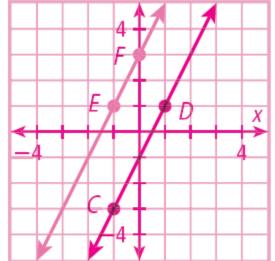
**Holt Geometry** 

#### **Example 3C: Determining Whether Lines Are Parallel, Perpendicular, or Neither**

Graph each pair of lines. Use their slopes to determine whether they are parallel, perpendicular, or neither.

slope of 
$$\overrightarrow{CD} = \frac{1 - (-3)}{1 - (-1)} = \frac{4}{2} = 2$$

slope of  $\overrightarrow{EF} = \frac{3-1}{0-(-1)} = \frac{2}{1} = 2$ 



The lines have the same slope, so they are parallel.

#### **Check It Out! Example 3a**

Graph each pair of lines. Use slopes to determine whether the lines are parallel, perpendicular, or neither.

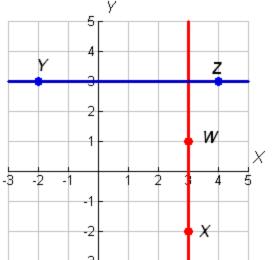
₩X and ¥Z for W(3, 1), X(3, -2), Y(-2, 3), and Z(4, 3)

slope of 
$$\overrightarrow{WX} = \frac{-2-1}{3-3} = \frac{-3}{0}$$

slope of 
$$\overrightarrow{YZ} = \frac{3-3}{4-(-2)} = \frac{0}{6} = 0$$



**Holt Geometry** 





## In-Class Work:

# Pg.185 #7-9, 15-17

**Holt Geometry** 

Find the slopes of each line and determine whether the lines are parallel, perpendicular, or neither.

- **7.**  $\overrightarrow{HJ}$  and  $\overrightarrow{KM}$  for H(3, 2), J(4, 1), K(-2, -4), and M(-1, -5)
- **8.**  $\overrightarrow{LM}$  and  $\overrightarrow{NP}$  for L(-2, 2), M(2, 5), N(0, 2), and P(3, -2)
- **9.**  $\overleftrightarrow{QR}$  and  $\overleftrightarrow{ST}$  for Q(6, 1), R(-2, 4), S(5, 3), and T(-3, -1)

#### Find the slopes of each line and determine whether the lines are parallel, perpendicular, or neither.

**15.**  $\overrightarrow{AB}$  and  $\overrightarrow{CD}$  for A(2, -1), B(7, 2), C(2, -3), and D(-3, -6) **16.**  $\overrightarrow{XY}$  and  $\overrightarrow{ZW}$  for X(-2, 5), Y(6, -2), Z(-3, 6), and W(4, 0)**17.**  $\overrightarrow{JK}$  and  $\overrightarrow{JL}$  for J(-4, -2), K(4, -2), and L(-4, 6)